Classical Molecular Dynamics simulations for carbon-based materials

Andreas Mrugalla and Jürgen Schnack

Department of Physics – University of Bielefeld – Germany http://obelix.physik.uni-bielefeld.de/~schnack/

1st Bielefeld Workshop on Nanolayers and Artificial Membranes Bielefeld University, 4.-6. 02. 2013









← ← → → □ ? X

Introduction

Introduction

There are various carbon-based nanostructures ...





... and carbon-based cross-linked SAMs.



A. Turchanin et al., Advanced Materials 21, 1233 (2009); I. Amin et al., Small 6, 1623 (2010).

Problems

- Systems contain very many carbon atoms.
- Structure might be irregular. Defects?
- Quantum Methods, even DFT, cannot deal with such systems.

 $\longleftrightarrow \ \Leftrightarrow \ \blacksquare \ ? \qquad \mathsf{X}$

Thank God, we have computers



"Espresso-doped multi-core"

128 cores, 384 GB RAM

... but that's not enough!

Classical Molecular Dynamics

H. Feldmeier and J. Schnack, Rev. Mod. Phys. 72, 655 (2000).

Classical Molecular Dynamics

- CMD can model very large systems (~ 10.000.000 particles).
- CMD can find ground states and model dynamics.
- But how should this be realistic for carbon-based compounds, where the chemical bond is of quantum nature?

sp hybridization modes



sp, sp^2 , and sp^3 hybridization modes.

wikipedia: orbital hybridization

Very sophisticated carbon potential

$$H(\vec{r}_1, \vec{p}_1; \vec{r}_2, \vec{p}_2; \dots) = \sum_{i=1}^N \frac{\vec{p}_i^2}{2m} + V(\vec{r}_1, \vec{r}_2, \dots)$$
$$V(\vec{r}_1, \vec{r}_2, \dots) = \sum_{i \neq j}^N U_2(|\vec{r}_i - \vec{r}_j|, Z_i) + \sum_{i \neq (j < k)}^N U_3(|\vec{r}_i - \vec{r}_j|, |\vec{r}_i - \vec{r}_k|, \Theta_{ijk}, Z_i)$$

D. W. Brenner *et al.*, J. Phys.: Cond. Mat. **14**, 783 (2002). N. A. Marks, Phys. Rev. B **63**, 035401 (2000).

Coordination dependence



Coordination influences strength and direction of bonding.

N. A. Marks, Phys. Rev. B **63**, 035401 (2000). A. Mrugalla, Master thesis (2013), in preparation.

What can be achieved realistically?

- Structure calculations.
- Dynamical self-organization (1).
- Mechanical properties, such as vibrational spectra and response to mechanical stress.
- Sorry, no electronic properties, such as conductance or heat conductance.

(1) R. C. Powles, N. A. Marks, and D. W. M. Lau, Phys. Rev. B 79, 075430 (2009).

First investigations

★ ★ → → □ ? **×**

First investigations

Graphen



Carbon-carbon distance a = 1.42 Å as in reality.

Nanotubes



Lattice constant depends slightly on tube structure.

Biphenyl



Biphenyls are attractive with a preferred distance of $r \approx 4.1$ Å.

← ← → → □ ? X

Outlook

Outlook

★ ★ → → □ ? **×**

Outlook



Self-organization and sp² ordering in large systems.

R. C. Powles, N. A. Marks, and D. W. M. Lau, Phys. Rev. B 79, 075430 (2009).

← ← → → □ ? X

Outlook

Outlook



Possible real configuration of a Biphenyl layer (1).

(1) D. Rhinow, N.-E. Weber, A. Turchanin, J. Phys. Chem. C 116, 12295 (2012).





Summary

- Classical Molecular Dynamics can be set up for carbon systems using effective many-body carbon potentials.
- Ground-state geometries can be determined with great accuracy (exception graphite).
- Dynamical self-assembly can be simulated.
- Prospect to simulate nano sheets with realistic, i.e. probably irregular structure.
- Electronic properties CANNOT be modeled.

Many thanks to

Professor Nigel Marks, Curtin University, Australia

Thank you very much for your attention.